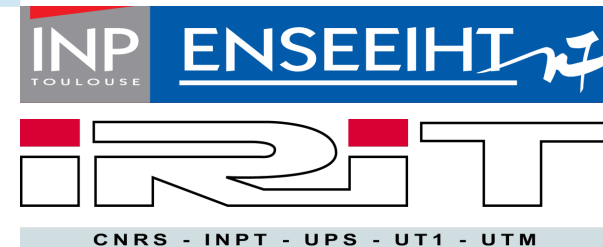


# Worst-case backlog evaluation of Avionics switched Ethernet networks with the Trajectory approach

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de Toulouse



# Worst case backlog computation in avionics networks

Objective of the presentation

What for ?

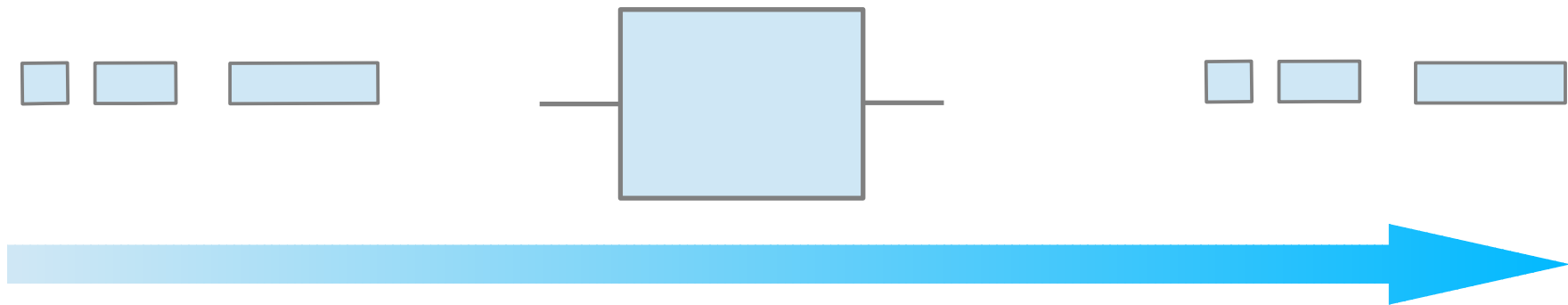
- Avoid over or under **sizing of output port buffers** in store-and-forward switches
- **Industrial concern**: at least as important as bounding end-to-end communication delays (aircraft certification)
- Trajectory approach has **improved bounds** on worst case end-to-end delays (compared to Network Calculus)
  - Compute **worst case buffer occupancy** using the **Trajectory approach** (with a FIFO servicing policy)
  - Application to an **industrial AFDX configuration**

# Embedded networks with real time constraints

Frames to be  
transmitted

Shared com.  
resources

COM. CHANNEL  
MULTIPLEXING



## COMMUNICATION DETERMINISM

Bounded frame **transmission time** (CST + VAR) :

- Constant part = technological latency
- Variable part = output buffer occupancy  
→ **maximum backlog**

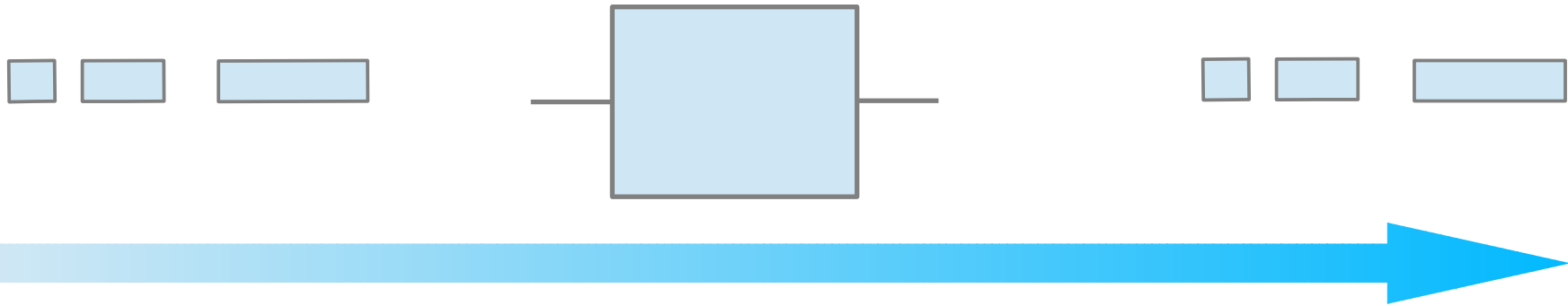
# Backlog and transmission delay

a dual problem

Frames to be transmitted

Shared com. resources

COM. CHANNEL MULTIPLEXING



APPLICATION LEVEL

**maximum transmission time**

FUNCTION SUPPLIER

HARDWARE LEVEL

**maximum backlog**

SYSTEM INTEGRATOR

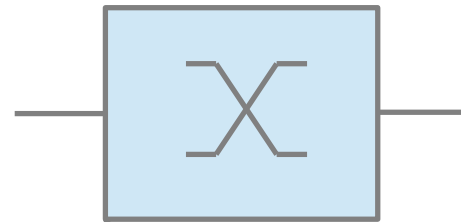
# Avionics Full Duplex Switched Ethernet

AFDX

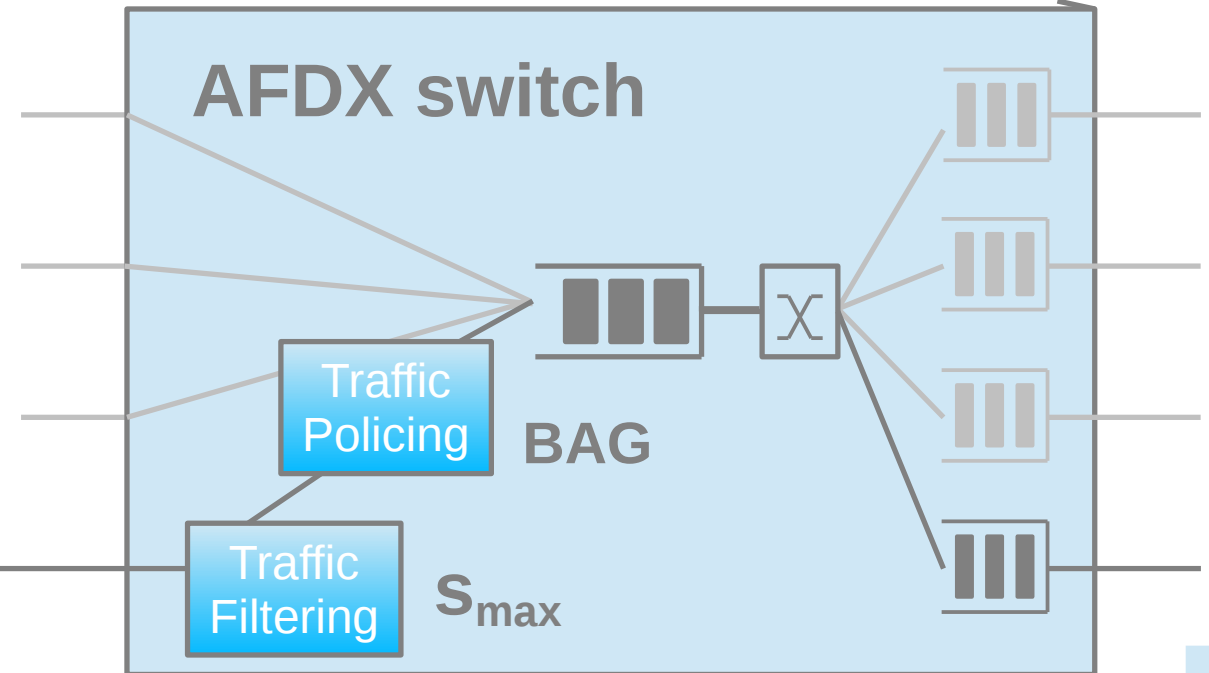
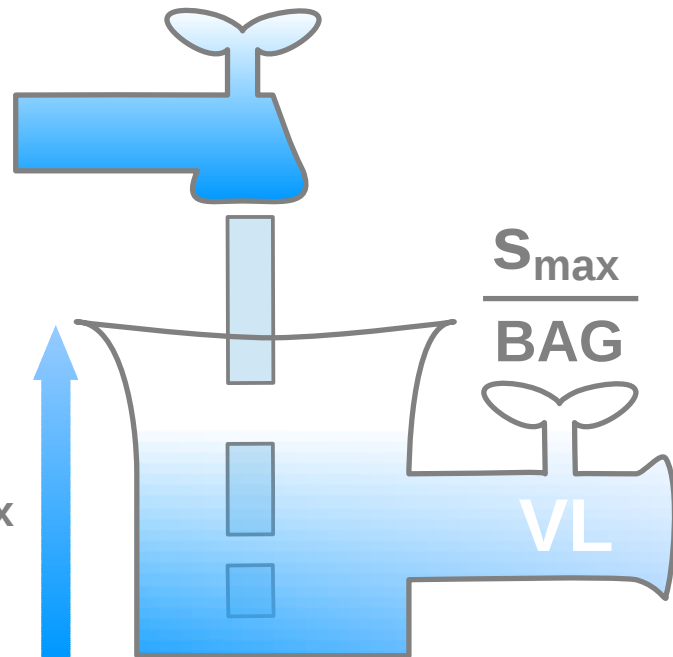
End systems send frames through VLs

AFDX switch

FIFO servicing policy



AFDX End system



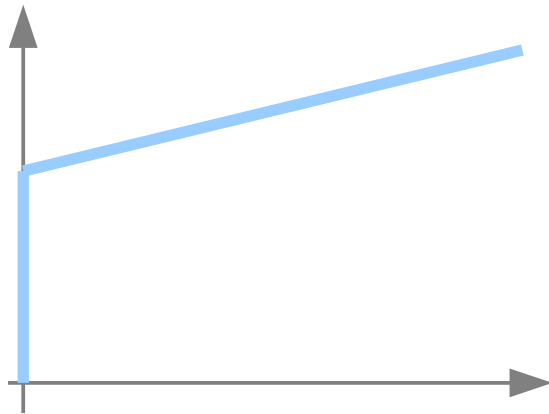
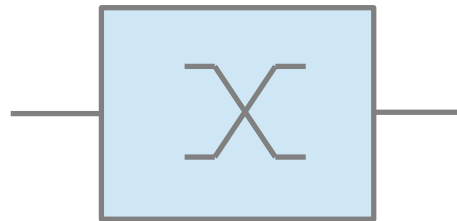
# Computing worst case upper-bounds for backlog and delay

## Network Calculus

Incoming frames

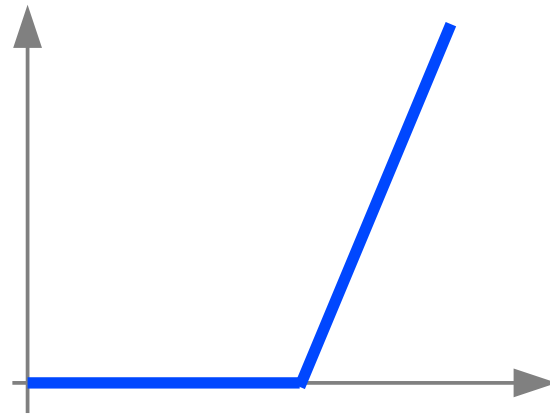
Network element output port

Delayed frames



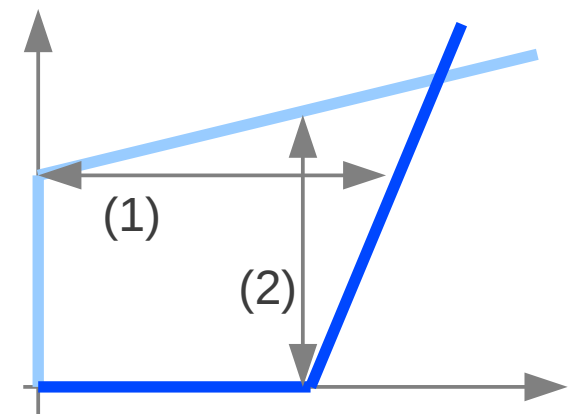
ARRIVAL CURVE

(leaky bucket)



SERVICE CURVE

(rate-latency)



(1) maximum virtual delay

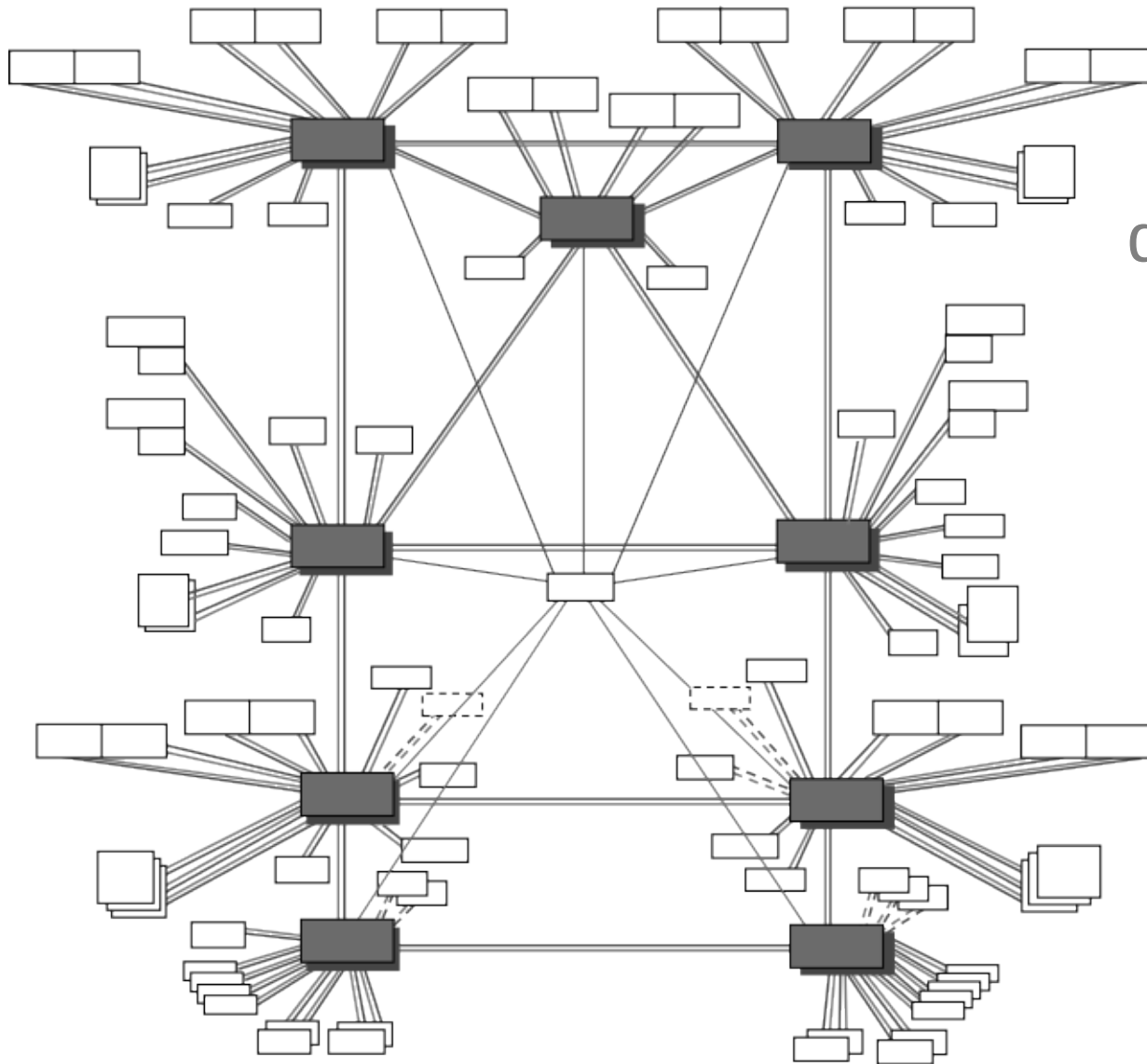
(2) maximum virtual backlog

Existing approach

Network  
Calculus

Proposed method

Trajectory  
approach



Worst case end-to-end  
delay computation on an  
industrial configuration

### Trajectory (vs. NC)

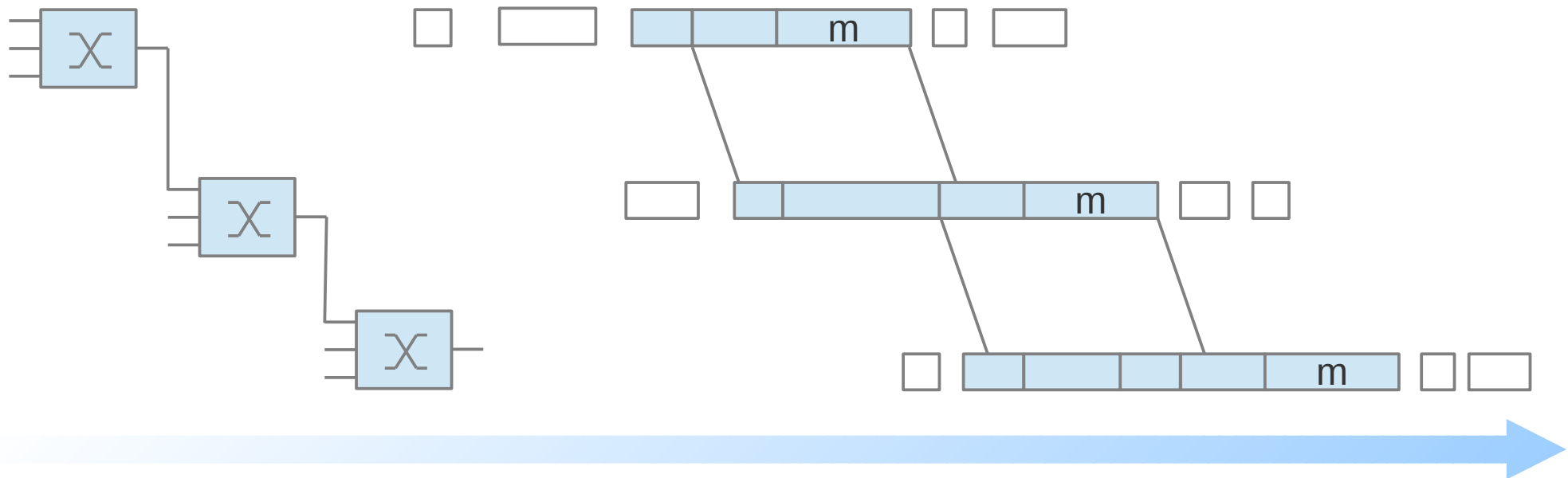
- Average: **> 10 %**
- Maximum : **> 34%**

(Previous work)

# The Trajectory approach

Study packet  $m$   
throughout its trajectory

Distributed  
system



The Trajectory approach consists in:

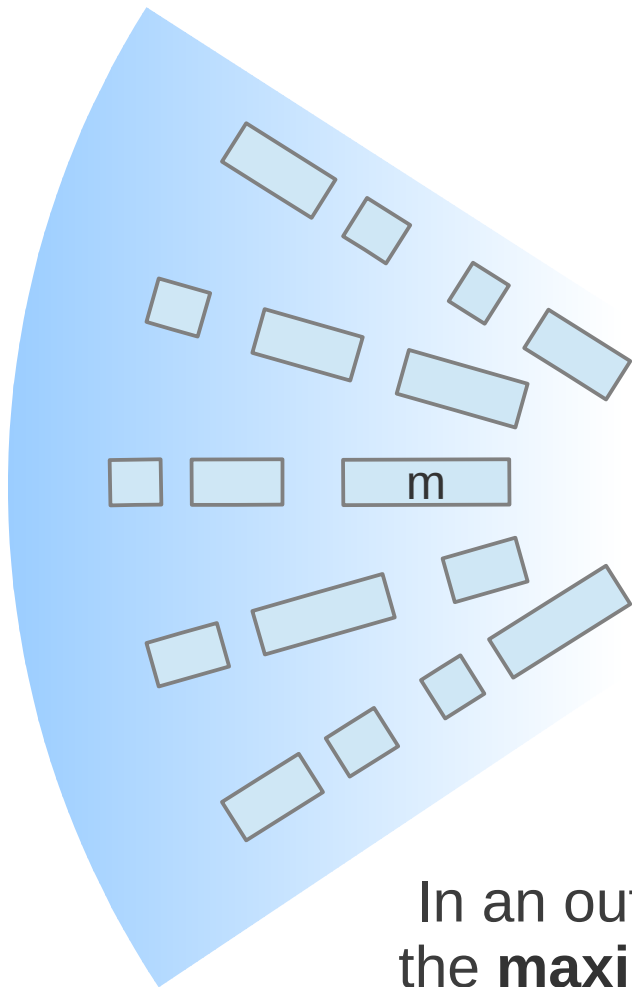
- Defining a global equivalent node,
- Counting the occurrences of all the frames that can delay frame  $m$  on its path.



# The Trajectory approach

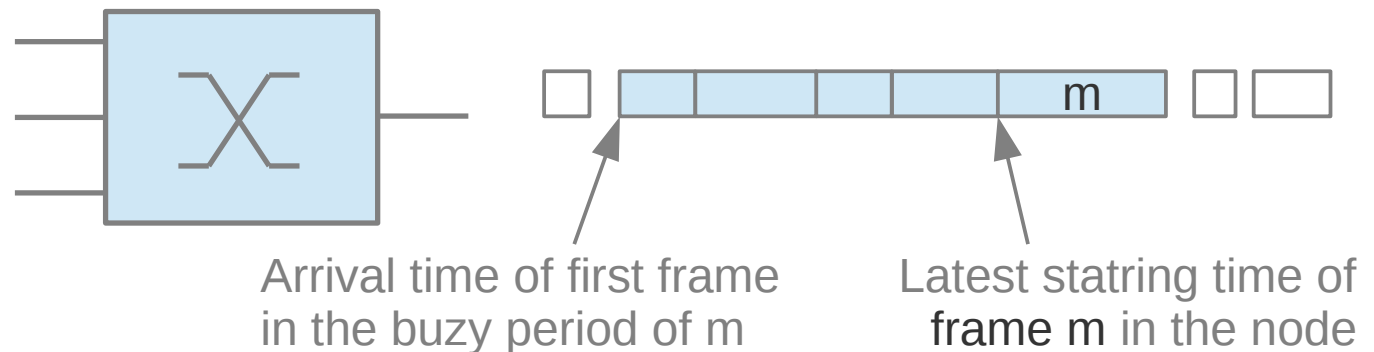
Amount of frames delaying  
 $m$  in a given node

Busy period



Considering:

- Flows going through the studied node,
- Maximal jitter of the incoming frames
- Maximum traffic contract of each flow ( $s_{\max}$ , BAG)



In an output port  $h$ , for a given flow (to whom frame  $m$  belongs) the **maximum backlog** occurs when  $m$  incurs **maximum delay**

# Worst case backlog computation

Frames belonging to the busy period

Superset

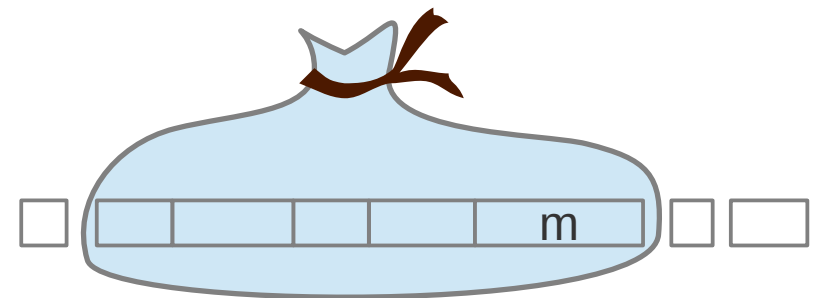
busy period  
=  
superset of all the frames generating backlog

Maximum jitter up to the studied node

$$\sum_{flows_j} \left( 1 + \left\lfloor \frac{t + A_{i,j}}{BAG_j} \right\rfloor \right)^+ S_{maxj}$$

Flows meeting frame m up to the studied node

Traffic contract of flow j



Superset

# Worst case backlog computation

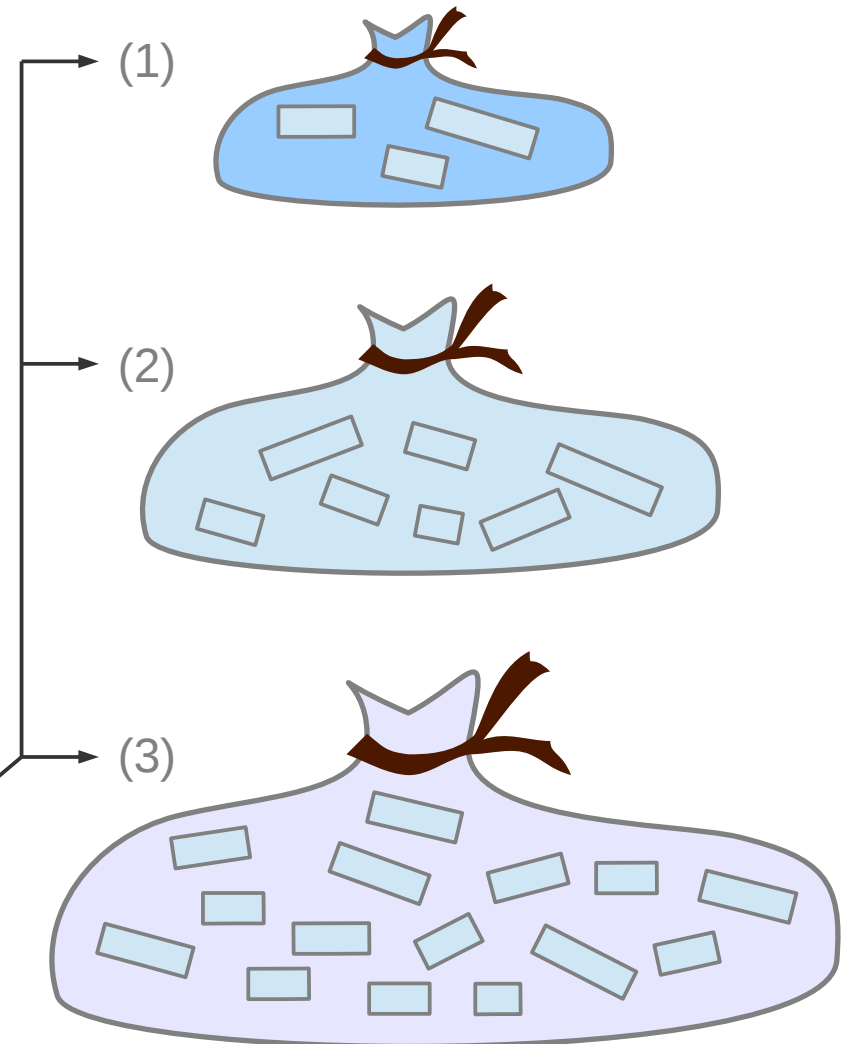
Frames belonging to the busy period

Superset

Major challenges:

- With increasing loads, **several frames per flows** have to be counted;
- The worst case does **not necessarily** happen with **the first frame** in a row.

→ **iterative calculation**

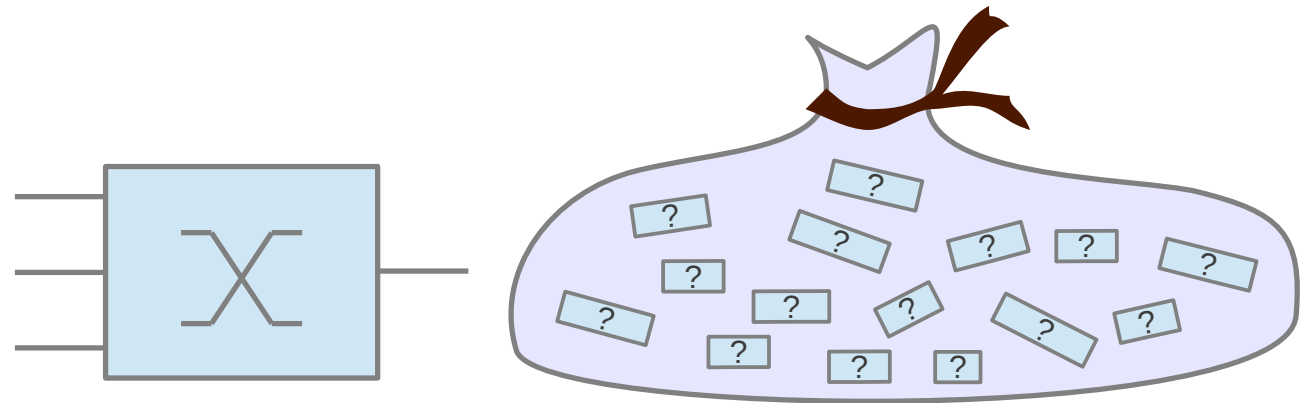
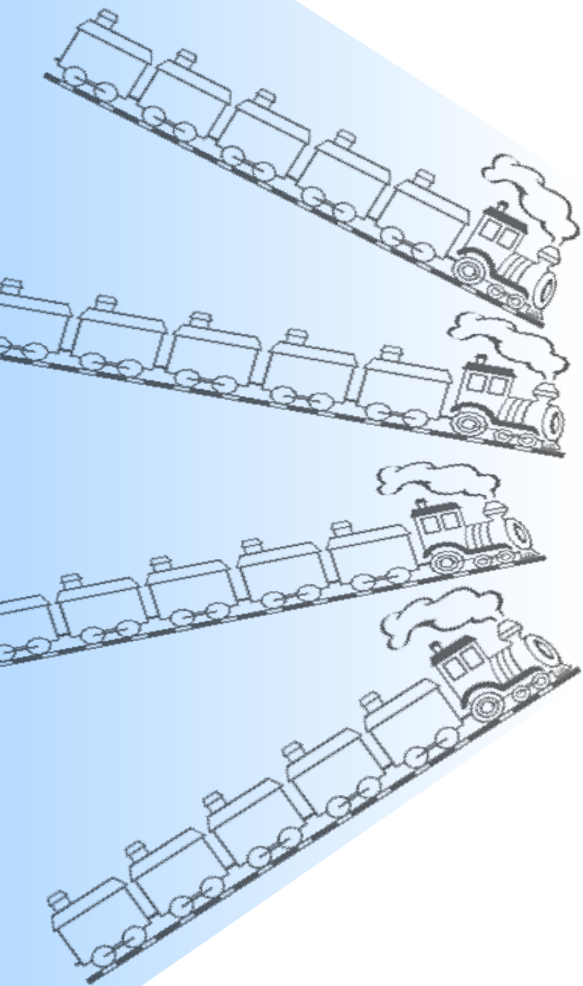


# Worst case backlog computation

Why is it a superset ?

Impact of the serialization effect

Frames coming from a previous node through the **same input link** are already **serialized**

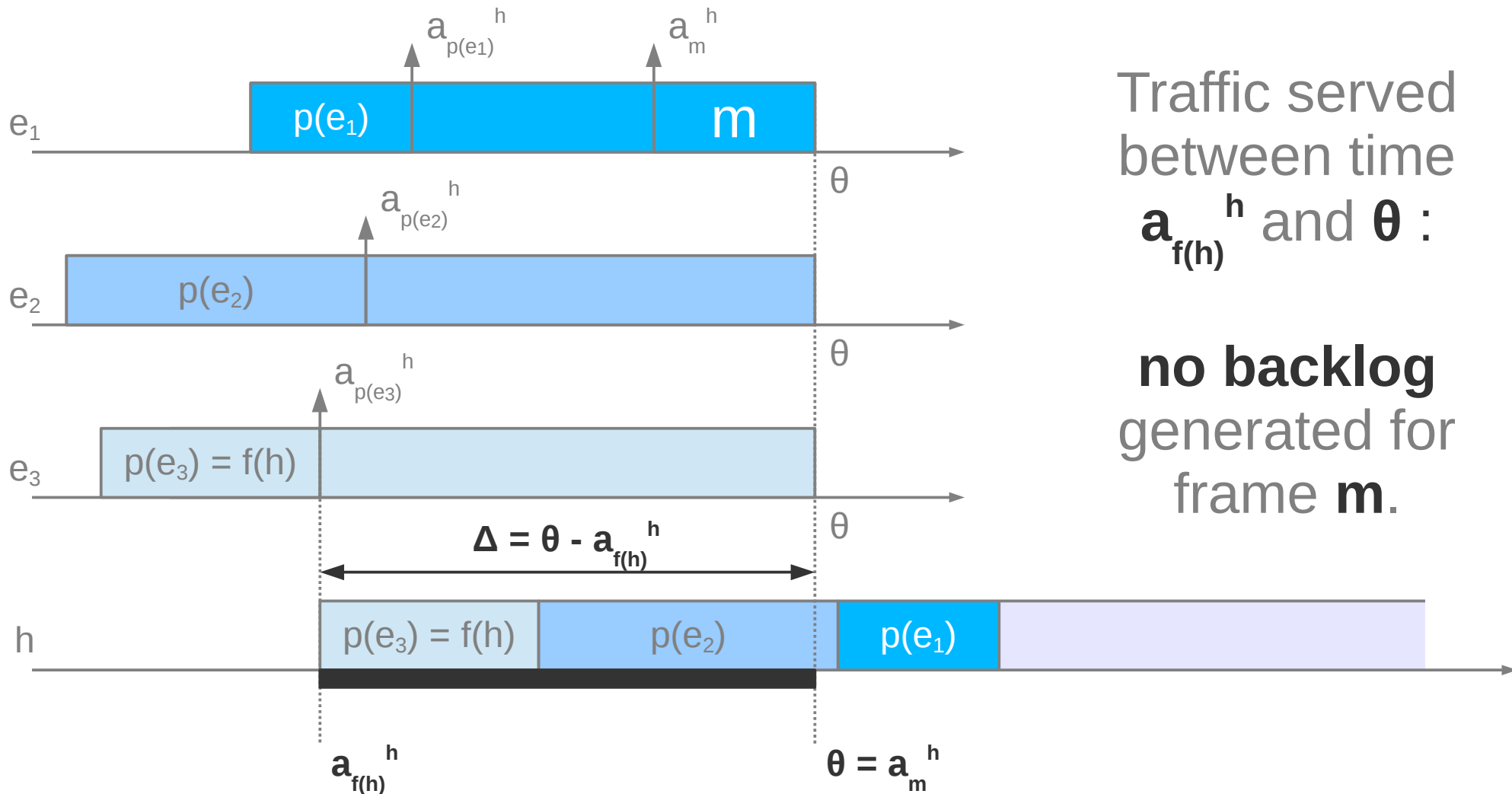


Frames belonging to the same "train" do not delay each other more than once

# Worst case backlog computation

Which frames should be discarded?

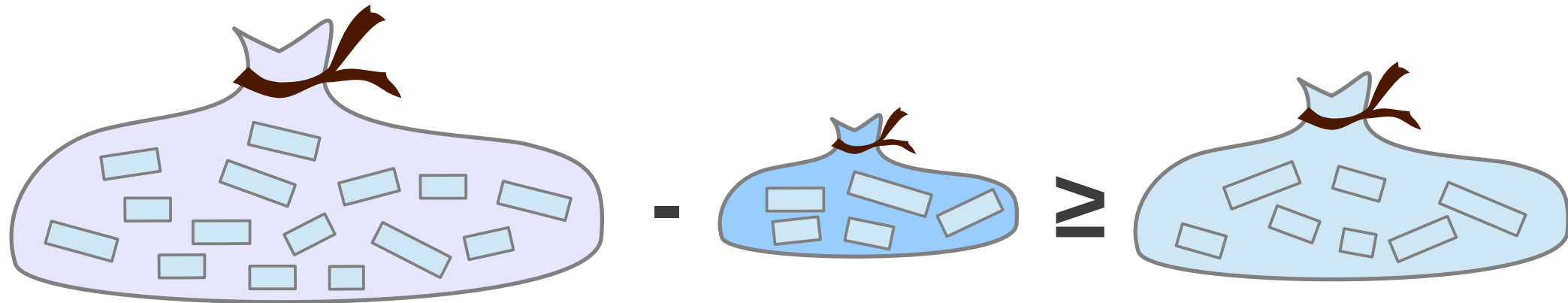
Impact of the serialization effect



# Worst case backlog computation

Principle of the calculation

Inequality



Busy period of  $m$   
in a given node  
(Traj. approach)

Set of frames that  
can not generate  
backlog in the  
worst case

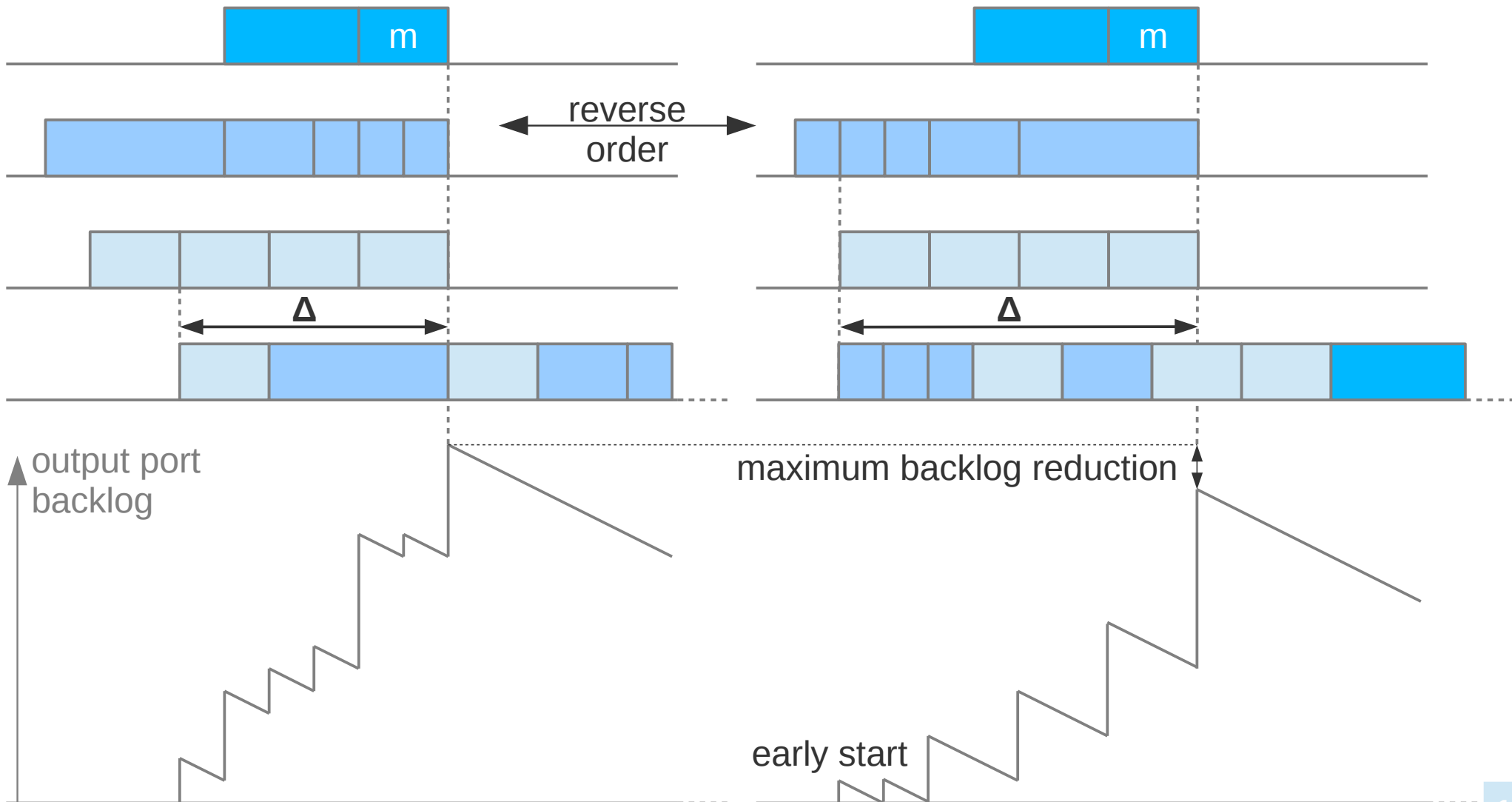
Worst case  
backlog for  $m$   
in the node

Maximize this term, such as the inequality holds...

# Worst case backlog computation

Worst case happens when frames are sorted by decreasing size

Frame order matters

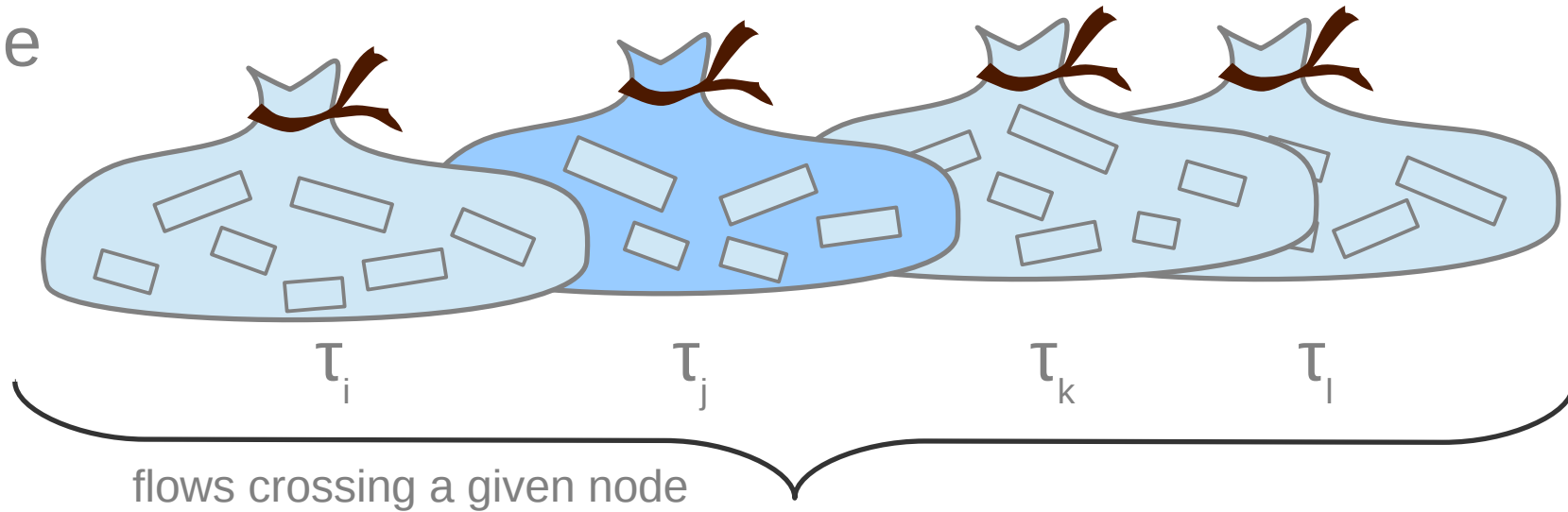


# Worst case backlog computation

Worst case backlog in a node

Output port

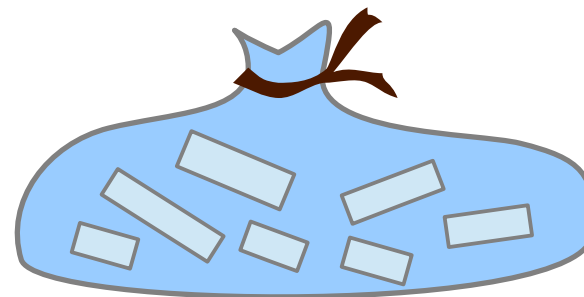
Worst case backlog for a frame of flow



**max**

||

Worst case backlog in the node (AFDX switch output port)





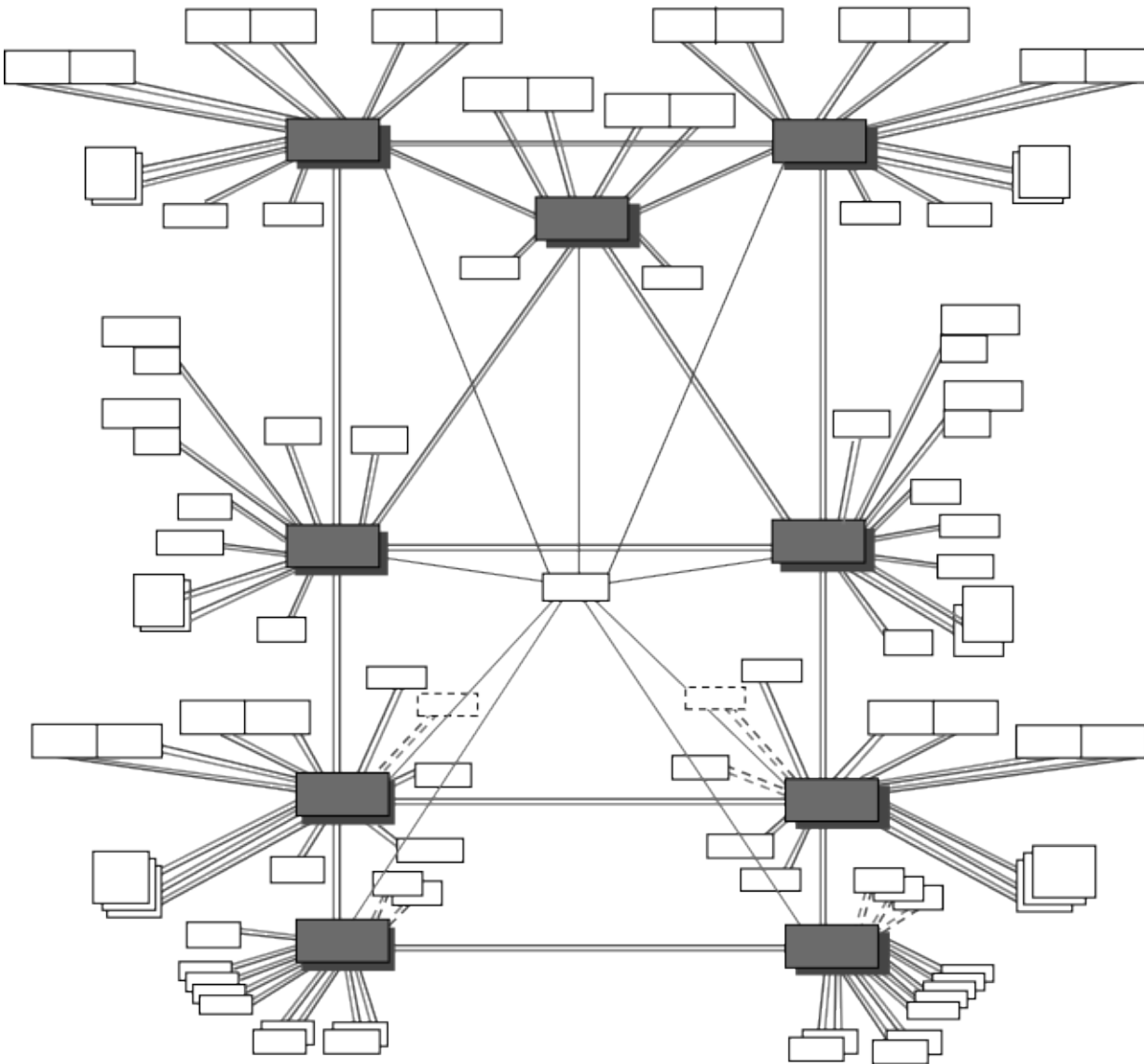
# Application to an industrial case

## AFDX avionics configuration

Computation  
scalability

### Some figures

- 126 End Systems (ES)
- 18 switches (24 ports each)
- >1000 Virtual Links (VL)
- >15000 paths (due to multicast paths)

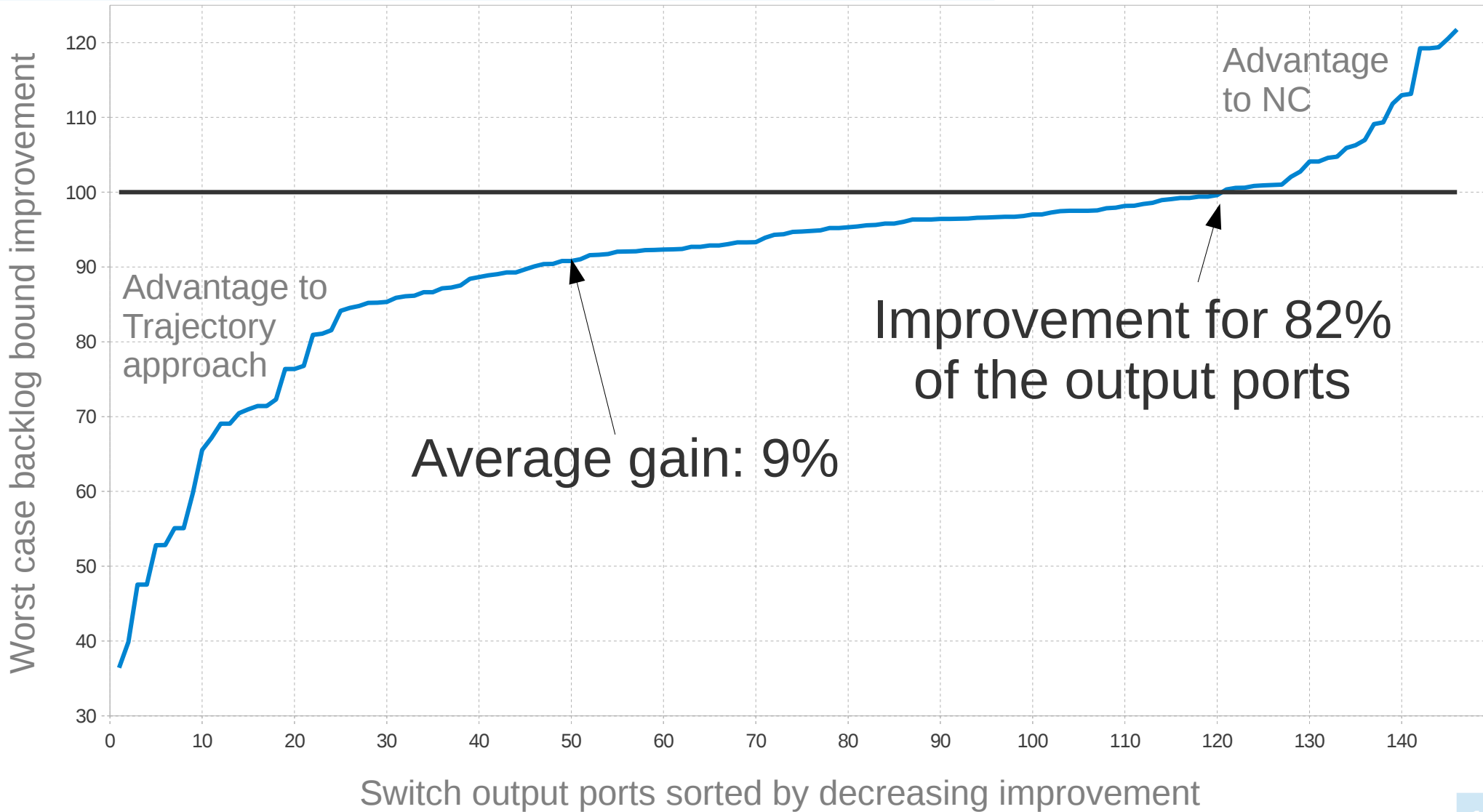


# Comparison with Network Calculus

Backlog bound

On an industrial network

Normalized to 100 (NC)



Did we reach our goals?

What's next?

- Compute **worst case buffer occupancy** using the **Trajectory approach**
  - OK for AFDX with FIFO servicing policy
  - Could be extended to QoS-aware servicing policies
  - Improve bound on busy period earliest starting time
- Application to an **industrial AFDX configuration**
  - Computation scales up to real case networks
  - Improvement consistent with previous results on delay
  - Reduction of switch maximal buffer size requirement

Thank you for  
your attention!



Questions?

Original Pisa picture from Patrick Landy (CC-BY-3.0)

